



Optimizing groups of colluding strong attackers in mobile urban communication networks with evolutionary algorithms[☆]

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ABSTRACT

In novel forms of the Social Internet of Things, any mobile user within communication range may help routing messages for another user in the network. The resulting message delivery rate depends both on the users' mobility patterns and the message load in the network. This new type of configuration, however, poses new challenges to security, amongst them, assessing the effect that a group of colluding malicious participants can have on the global message delivery rate in such a network is far from trivial. In this work, after modeling such a question as an optimization problem, we are able to find quite interesting results by coupling a network simulator with an evolutionary algorithm. The chosen algorithm is specifically designed to solve problems whose solutions can be decomposed into parts sharing the same structure. We demonstrate the effectiveness of the proposed approach on two medium-sized Delay-Tolerant Networks, realistically simulated in the urban contexts of two cities with very different route topology: Venice and San Francisco. In all experiments, our methodology produces attack patterns that greatly lower network performance with respect to previous studies on the subject, as the evolutionary core is able to exploit the specific weaknesses of each target configuration.

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1. Introduction

The so-called *Social Internet of Things* calls for nearly ubiquitous communicating devices. There is today a need to integrate low-cost, low-power devices to support networking services in more effective and efficient ways. In such a scenario, new solutions are continuously developed and deployed, while approaches that just a few decades ago were used only in highly complex, niche applications are now literally brought down to earth—Delay-Tolerant Networks (DTNs) are a technology originally developed for space communications that, over the years, made its way down to quite mundane applications [1]. Emerging technologies and applications

are posing serious problems to designers. In most cases there is not enough time to thoroughly validate them, or even to simply analyze their possible failures and problems. Engineers are forced to resort to their experience to choose heuristics that look reasonable, and then observe the actual outcome from real applications. Security in DTNs is a paradigmatic case: such networks need to remain open to all willing participants, and few malicious participants may try to disrupt communications, for instance, routing no messages to other nodes or injecting large number of messages into the network. While such a risk is plausible, precisely assessing DTNs' vulnerabilities is hard.

This paper focuses precisely on evaluating the amount of damage that can be caused to a DTN by a group of synchronized attackers with deep knowledge about the network. Given a scenario, we propose to optimize attackers for minimizing the performances of the network using a heuristic methodology. It is important to note that the adoption of such methodology is more a necessity than a choice: determining the most effective attack for a given network was proven to be NP-hard [2], the complexity and number of variables involved in the problem preclude the use of formal techniques and the size of the scenarios prevent exhaustive analyses.

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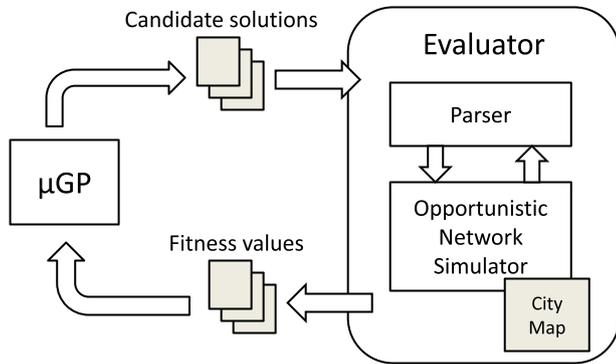


Fig. 2. Structure of the proposed framework. Candidate solutions and fitness values are internally represented as text files.

representation and the fitness function definitions are described in Section 4.2 and 4.3, respectively.

4.1. Evolutionary core

A noticeable branch of EC is cooperative co-evolution (CCE), that is, broadly speaking, the study of evolutionary algorithms whose final goal is achieved by a solution composed of different sub-solutions that cooperates to reach the common goal. The idea of CCE dates back to the origin of EC, yet its inherent problems are far from being solved: important contributions are appearing regularly in the scientific literature (e.g., [21–25]). In the last decade, the CCE popularity further boasted due to robotics applications where teams of robots can be asked to perform collective tasks [26].

In CCE, sub-solutions may be heterogeneous or homogeneous, and combining them might be more or less trivial. Nevertheless, almost all approaches strive to optimize the single parts independently, while trying periodically to group them into an effective set, possibly exploiting heuristics or ad-hoc tweaks. One of the main challenges in CCE is that optimizing a single component may not be beneficial to the global solution, yet the algorithm has to harmonize the two possibly contrasting selective pressures.

Group evolution (GE) is yet another take on CCE, natively provided by μ GP. In GE, the individual optimization phase and the group optimization phase are blended into a single seamless process [27]. Individuals are merely the parts that can be assembled to compose the groups, while groups are the actual candidate solutions. GE stores a population of individuals and a separate population of groups (see Fig. 3), but new individuals and new groups

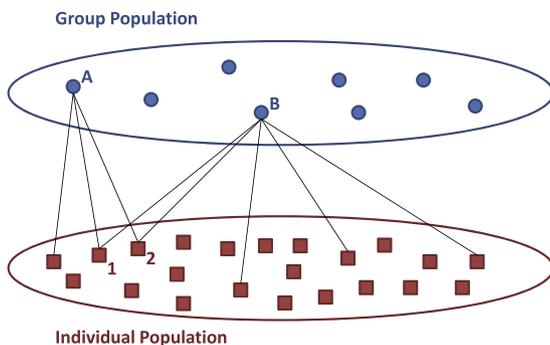


Fig. 3. A high-level scheme of the two-population approach used by GE. Groups are sets of individuals taken from the individual population. The same individual can appear multiple times in the same group or in different groups: for example, individuals 1 and 2 belong to both groups A and B.

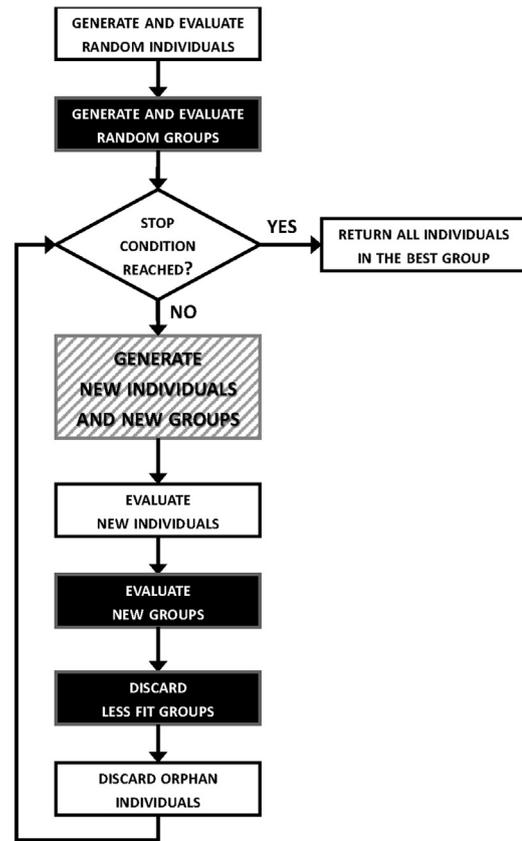


Fig. 4. Flowchart of an evolutionary algorithm using group evolution. Operations exclusive to GE are depicted in black. New groups and new individuals are created in a single uniform step, while to evaluate new groups the evaluation of new individuals is required.

are created with no predefined order: the evolutionary core may choose the best sequence of operators acting on individuals, and operators acting on groups. However the user may still impose a minimum or maximum cardinality for groups.

Another peculiarity of GE is that single individuals and sets of individuals (i.e., groups) are evaluated by the very same objective function (e.g., the loss of performance in a DTN in the context of this paper). This choice enables both a generalization in the fitness calculation and a tighter integration between the two levels of evolution. The fitness assigned to groups depends on the cumulative effect of the individuals belonging to it, while the contribution of each single individual is also stored and used during comparison.

More operatively, each group is a set of references to individuals in the individual population: so, the same individual can belong simultaneously to multiple groups. At every generation, once new groups and individuals are created and evaluated, groups are sorted by their fitness function, and the worst are removed, factually deleting references to certain individuals. After this process, *orphans*, i.e., individuals not belonging to any group in the current group population, are also deleted.

Interestingly, GE can be used with no modification to optimize single attackers: when the maximum size of a group is set to 1, the evolutionary core automatically stops using group manipulation operators, such as `addElementToGroup` and `removeElementFromGroup`. For the purpose of this work, we further modified the original GE available in μ GP introducing a new mechanism for choosing which operators to use in the current generation, and a strategy for caching the results of past evaluations [28]. The flowchart of the GE algorithm used in this work is shown in Fig. 4.



Fig. 7. A 5 km² area of downtown Venice, IT, with an irregular map topology of pedestrian pathways (the black map layer) and waterways (the blue layer). Marked with stars are special POIs in the city's touristic center. (For interpretation of the references to color in this figure legend, the reader is referred to the web version of this article.)

Table 1
Network parameters: city maps.

San Francisco	Size:	2416 m × 2253 m
	Map layers:	L_p (pedestrian walkways), L_s (streets)
	No. of route segments:	1728 in L_p , 1305 in L_s
	No. of map points:	1210 in L_p , 883 in L_s
Venice	Network size:	150 pedestrians (constrained to L_p), 50 cars (constrained to L_s)
	Size:	2210 m × 2340 m
	Map layers:	L_p (pedestrian walkways), L_w (waterways)
	No. of line segments:	7983 in L_p , 1497 in L_w
	No. of map points:	6910 in L_p , 1354 in L_w
	Network size:	150 pedestrians (constrained to L_p), 50 boats (constrained to L_w)

Francisco and Venice. These cities differ in terms of map topology: while the area of San Francisco has a regular grid structure of routes, the area of Venice has a complex, hierarchical, irregular structure of main and secondary waterways travelled by boats, with pedestrians confined to inner walkways (some along waterways) and bridges. The Venice map has an additional feature for added realism: on both map layers, a small number of the map POIs mark the touristic center, and have a higher probability to be chosen as the next destination by the honest nodes. Table 1 quantifies the maps and map layers in terms of size, number of distinct map points, route segments, and number of nodes.

5.2. Network simulation and network nodes

In both cities we configured $N=200$ moving network nodes, divided in two types: pedestrians (75%) and vehicles (25%). For San Francisco, the vehicles consist of motorized cars; in Venice, the waterways serve as routes for motorized or unmotorized boats. Pedestrians are modelled as carrying communication devices with relatively limited capabilities: a Bluetooth communication interface with a range of 15 m and low bandwidth. Vehicles are awarded more communication capabilities: besides a Bluetooth interface (which allows communication events to take place between any pedestrian and any vehicle), a vehicle also has a high-speed,

Table 2
Network parameters: movement models.

Movement model for nodes in all cities	Next point:	chosen randomly from a map layer
	Path choice:	shortest path on the map layer to the next point
	Pedestrian speed:	[0.5 ... 1.5] m/s
	Boat speed:	[1.0 ... 5.0] m/s
	Car speed:	[2.7 ... 13.9] m/s
	Pause interval for all:	[0 ... 120] s at each destination point

longer-range network interface allowing vehicle-to-vehicle communication.

Each simulation of a DTN in The ONE is stochastic. The nodes are initially placed randomly on their map layer, and a 1000-s warm-up simulation period is allowed before the experiment starts, for the nodes to settle on the “natural” preferred routes in the city. The next destination POI is also chosen randomly. Due to this, to smoothen the fitness landscape and reduce the effect of the random seed of each simulation on the evaluation of solution, we execute each network simulation 10 times, initialized with different random seeds, and report as fitness values the average DDR and latency over the 10 available repetitions.

The movement model of all nodes follows the general randomized pattern summarized in Section 2.3. A subset of these 200 nodes is assigned a malicious behaviour. For an *honest* node, the set of POIs is simply the entire set of map points located on the node's relevant map layer. The node randomly chooses any destination point from that map layer, travels there at a certain speed on the shortest path, pauses for an interval, and repeats the process. The configuration for the nodes' speed and pause interval is given by Table 2. For an *attacker*, the set of POIs is a subset of the map points of the relevant map layer, and is evolved by the evolutionary core as part of each solution (as described in Section 4.2). The movement model of an (e.g., pedestrian) attacker then only differs from that of an honest pedestrian in that the attacker's next destination point is randomly chosen from the evolved set of POIs, rather than the entire map layer.

Honest nodes periodically inject new messages to be routed by the network; the rate of message injection among all honest nodes is set at one message every 30 s, such that the network routes 120 honest messages per hour. The honest node to inject the next message in the network is chosen randomly. The malicious nodes run one of the two attack logics described in Section 2.4.

A black hole attacker does not inject any additional messages in the network. On the other hand, when an attacker executes a flood, the parameters are chosen to obtain a “heavy” flood of messages: (1) a flooding node injects messages in the network at 10 times the frequency of message injection from an honest node, and (2) the messages injected by a flooder are 10 times as large as regular messages. Table 3 summarizes these communication parameters, together with the settings regarding the sizes of the nodes' message buffers, and the Time To Leave (TTL), which limits the amount of time that a message is allowed to be stored in a node's buffer without being forwarded—we set TTL to be large, and equal to the length of an experiment: 5 h (simulated time).

5.3. Evolutionary parameters

During all the experiments, μ GP has been configured with the parameters reported in Table 4. The operators chosen for the evolution are:

Table 3

Network parameters: simulation and node communication settings.

Simulation settings	Simulation time:	5 h
	DTN simulator:	The ONE [6]
Message settings	Message issued:	every 30 s (by an honest node), every 3 s (by a flooder)
	Message size:	10 kB (issued by an honest node), 100 kB (issued by a flooder)
	Message buffer:	5 MB (for pedestrian nodes), 50 MB (for car and boat nodes)
	Message TTL:	5 h
Node communication interfaces	Bluetooth:	range 15 m, speed 250 kbps
	High-speed:	range 100 m, speed 10 MBps
	Pedestrians use:	Bluetooth
	Cars and boats use:	Bluetooth and High-speed

Table 4 μ GP experimental settings.

Parameter	Description	Value
τ	Size of the tournament selection	1.0–4.0
σ	Initial strength of the mutation operators	0.9
α	Inertia of the self-adapting mechanisms	0.9
\S	Stagnation threshold (in generations)	50
<i>Classical EA</i>		
μ	Individual population size	30
λ	Operators (genetic) applied at every step	20
<i>Group evolution</i>		
μ_{group}	Group population size	30
$\nu_{individual}$	Initial individual population size	50
λ	Operators (genetic or groups) applied at every step	20

- `onePointImpreciseCrossover`: one-point crossover between two individuals;
- `twoPointImpreciseCrossover`: crossover with two cut points;
- `singleParameterAlterationMutation`: mutate a single coordinate of a POI, the movement model or the attack logic;
- `insertionMutation`: add a new random POI;
- `removalMutation`: remove a randomly selected POI;
- `replacementMutation`: replace a POI with a randomly generated one.

The activation probabilities of all the operators in the population are self-adapted during the run; [28] enables to efficiently alternate phases where individuals are optimized, with phases where groups are optimized. Self adapting the size of the tournament for selecting parents (τ) enables to optimize the selective pressure; while self adapting the strength of the mutation operators (σ) enables to balance between exploration and exploitation. Every time a mutation is performed, it is executed again on the same individual if a randomly generated number in (0, 1) is lower than the current value of σ . For high values of σ , the algorithm will tend to generate new solutions that are very different from their parents, thus favoring exploration; for low values of σ , the differences between parents and offspring will be smaller, thus entering a phase of exploitation.

During the GE experiments, new operators are added in order to manipulate groups, namely:

- `groupRandomInsertionMutation`: add a random individual to a group;
- `groupRandomRemovalMutation`: remove a random individual from a group;

- `groupBalancedCrossover`: crossover that moves the same number of individuals between two groups;
- `groupUnbalancedCrossover`: same as above, with no guarantee of moving the same number of individuals;
- `groupUnionIntersection`: returns the union and the intersection of two groups;
- `groupDreamTeam`: creates a group with some of the best individuals currently in the population.

As previously detailed, the number of individuals in the GE paradigm is regulated by the number of groups in the current population, μ_{group} . Individuals are removed only when they are no longer included in any group. The number of individuals generated at the beginning of the execution, number that can be later exceeded or reduced, is controlled by parameter $\nu_{individual}$. Further information on parameters and operators in μ GP can be found in [20].

5.4. Experimental campaigns and results

Given the settings described in Sections 5.1–5.3, which are common to all experiments, an experiment will be uniquely identified by the following two parameters:

City (i.e., San Francisco or Venice)

Number of attackers i.e., the size of the attack group k , in the range $1 \leq k \leq N$. We delineate five practically interesting ranges:

- $k = 1$, i.e., a single attacker;
- $k = 2$, i.e., a pair of attackers;
- $k \in [1 \dots 5]$;
- $k \in [6 \dots 10]$;
- $k \in [11 \dots 20]$, i.e., a group which can reach 10% of the overall network size of $N = 200$ nodes.

The ranges for k thus come in two categories: a fixed group size (when $k = 1$ or $k = 2$), or a variable group size (for larger k). In the latter case, intuitively, the expectation is that the evolutionary algorithm will maximize the group size in the process of optimizing the fitness functions.

To assess the comparative performance of our method based on Group Evolution, we ran the following three experimental campaigns, for each experimental setting (City \times Number of attackers):

- A GE-based experimental campaign (for the settings where $k > 1$);
- An experimental campaign based on the classical, non-GE EA applied to the same problem in prior literature [16];
- The testing of groups of a sample of 150 purely randomly generated groups of attackers.

For each experimental setting, the GE and non-GE experimental campaigns consist of 5 experiment repetitions, initialized with different random seeds.

The results of the experimental campaigns are summarized in Fig. 8, separately per city. The first fitness function, f_1 , measuring the global data delivery rate (DDR) in the network, quantifies the decreasing network performance with an increasing size of the attack group, k . In the figures, the data points are presented for the set $k \in \{1, 2, 5, 10, 20\}$, as the evolutionary algorithms found that the lowest fitness is achieved when the size of the attacker group is maximum. For comparison, the figures also include a data point showing the fitness function with no attack present (i.e., all $N = 200$ nodes in the network are honest).

As seen in Fig. 8, while the First Contact protocol has only moderate data delivery in these complex urban settings even in the absence of attacks, both evolutionary algorithms significantly outperform random testing, and GE was found to be advantageous in

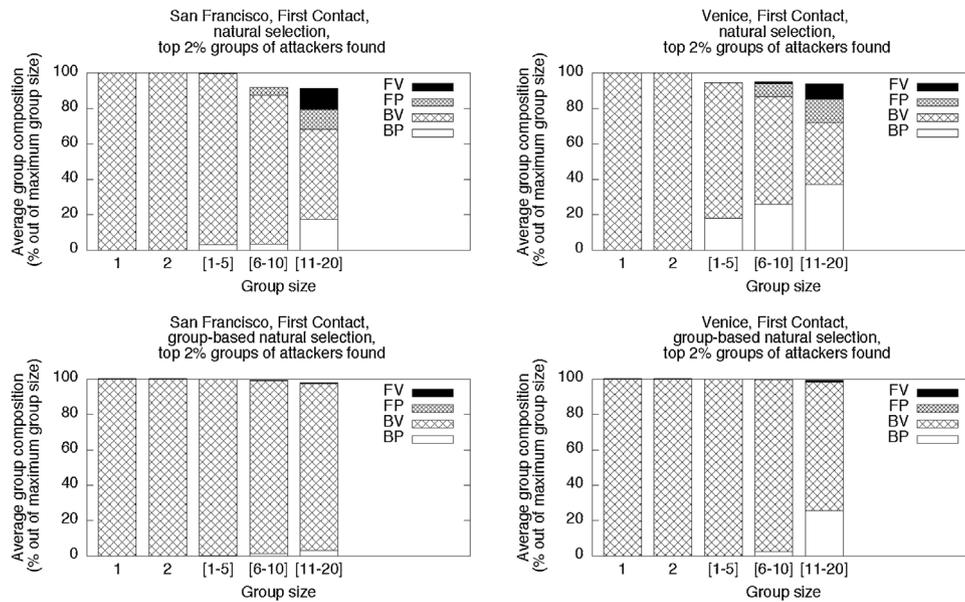


Fig. 10. The average group size and group composition among all top solutions (whose fitness is within 2% of the best fitness). The group composition is shown in terms of the percentage of flooding vehicles (FV), flooding pedestrians (FP), black hole vehicles (BV), and black hole pedestrians (BP) among these top solutions.

Table 5

Summary of the statistical analysis (see the main text for details). Each column (labeled as X/Y) shows the pairwise comparison between the results obtained by algorithm X and Y, with X taken as reference. The symbol ‘+’ indicates that X statistically outperforms Y, i.e. it obtains attacker groups with lower network performance (DDR).

No. attackers	GE/non-GE	GE/random	Non-GE/random
<i>San Francisco</i>			
2	+	+	+
1–5	+	+	+
6–10	+	+	+
11–20	+	+	+
<i>Venice</i>			
2	+	+	+
1–5	+	+	+
6–10	+	+	+
11–20	+	+	+

More interestingly, the reason why the GE algorithm shows an advantage over a classical EA is seen in Fig. 10. The figure first selects all the “top” attacker groups obtained by the GE and non-GE experiments, i.e., those groups which lower network performance to within 2% of the absolute best fitness f_1 found by that algorithm. We observed that the number of these top groups falls between 300 and 6000 (depending on the experimental setting), all of which can be considered successful attacks. The average composition of this large group sample is analyzed in terms of how often a type of attacker, i.e., a movement model (that of a pedestrian, or that of a vehicle) and attack logic (black hole or flooding) appears in a top group.

The best single attacker found by both the GE and non-GE algorithms is a black hole vehicle: indeed, 100% of the top groups found by both algorithms consist of an attacker of this type. The same is true for pairs of attackers.

For larger group sizes, the two algorithms show a difference of results. When $k \in [11 \dots 20]$, the non-GE algorithm found an overall lower top fitness while obtaining top groups for which: (1) the average group size does not saturate (it reaches an average of 18.23 out of 20, for the San Francisco setting), and (2) the average group composition is a mix of attacker types, with only 50% of the

attackers in the top groups matching the type of the best single attacker (a black hole vehicle).

On the other hand, the GE algorithm likely outperformed the non-GE in terms of best fitness found due to the fact that it both maximized the average top group size, and optimized the average top attacker type, demonstrating that homogeneous groups of black holes are advantageous to exploit the vulnerabilities in the design of the First Contact protocol, and that faster black hole attackers also have a clear advantage.

6. Conclusions

In this paper we proposed a heuristic methodology to assess the robustness of *First Contact*, one of the main routing protocols used in Delay-Tolerant Networks. To exploit possible weaknesses of the network, we considered the worst-case scenario of an attack carried out by a coordinated group of agents with full network knowledge. The methodology is based on an evolutionary algorithm using a cooperative co-evolution scheme called *Group Evolution* recently introduced in the literature and here extended for our purposes. The method is able to optimize groups (either homogeneous or not) of malicious nodes whose behaviour does not comply with the legitimate routing protocol used by honest nodes in the network.

We performed an extensive experimental campaign over medium-sized (i.e., 200 nodes) realistic urban networks running on two different cities with radically different map topologies (San Francisco and Venice). We assessed the scalability of the approach by evaluating single attackers as well as groups of up to 10% malicious nodes. Moreover, we compared results obtained with random sampling and a more classical evolutionary algorithm.

In all our experiments, the two evolutionary methods clearly outperformed random sampling, consistently finding groups of attackers that produced a larger network damage (reduced data delivery rate and increased latency). The additional advantage brought by Group Evolution resulted in an improved attack effect, optimized group compositions, and more effective movement models.

Overall, the contribution of this work is twofold: on one hand, we proposed an efficient alternative to random sampling, that is currently one of the most used approaches for assessing network

robustness; on the other hand, we showed an example problem that can be naturally described in terms of cooperative co-evolution and for which such an evolutionary scheme is clearly beneficial.

This work represents then one of the few attempts at finding applications of cooperative co-evolution beyond the typical domain of swarm robotics. In future research, we will seek to extend this approach to different networking applications and, possibly, new unexplored domains.

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