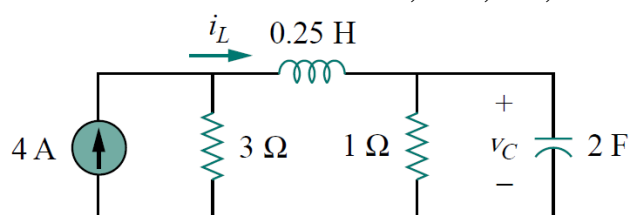
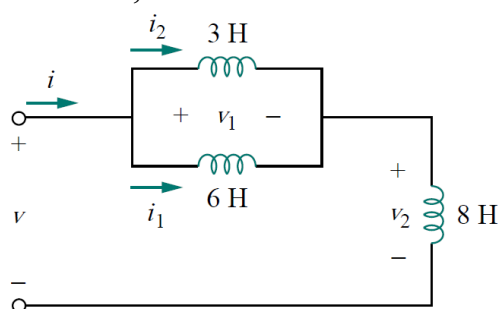


- 1- What is the voltage across a  $3\text{-}\mu\text{F}$  capacitor if the charge on one plate is  $0.12\text{mC}$ ? How much energy is stored? **Answer:**  $40\text{ V}$ ,  $2.4\text{ mJ}$ .
- 2- If a  $10\text{-}\mu\text{F}$  capacitor is connected to a voltage source with  $v(t) = 50 \sin 2000t\text{ V}$  determine the current through the capacitor. **Answer:**  $\cos 2000t\text{ A}$ .
- 3- The current through a  $100\text{-}\mu\text{F}$  capacitor is  $i(t) = 50 \sin 120\pi t\text{ mA}$ . Calculate the voltage across it at  $t = 1\text{ ms}$  and  $t = 5\text{ ms}$ . Take  $v(0) = 0$ . **Answer:**  $-93.137\text{ V}$ ,  $-1.736\text{ V}$ .
- 4- The terminal voltage of a  $2\text{-H}$  inductor is  $v = 10(1-t)\text{V}$ . Find the current flowing through it at  $t = 4\text{ s}$  and the energy stored in it within  $0 < t < 4\text{ s}$ . Assume  $i(0) = 2\text{ A}$ . **Answer:**  $-18\text{ A}$ ,  $320\text{ J}$ .
- 5- Determine  $v_C$ ,  $i_L$ , and the energy stored in the capacitor and inductor in the circuit of the following figure under dc conditions. **Answer:**  $3\text{ V}$ ,  $3\text{ A}$ ,  $9\text{ J}$ ,  $1.125\text{ J}$ .



- 6- In the circuit of the figure given below,  $i_1(t) = 0.6e^{-2t}\text{ A}$ . If  $i(0) = 1.4\text{ A}$ , find: (a)  $i_2(0)$ ; (b)  $i_2(t)$  and  $i(t)$ ; (c)  $v(t)$ ,  $v_1(t)$ , and  $v_2(t)$ . **Answer:** (a)  $0.8\text{ A}$ , (b)  $(-0.4 + 1.2e^{-2t})\text{ A}$ ,  $(-0.4 + 1.8e^{-2t})\text{ A}$ , (c)  $-7.2e^{-2t}\text{ V}$ ,  $-28.8e^{-2t}\text{ V}$ ,  $-36e^{-2t}\text{ V}$ .



**6.25** Obtain the equivalent capacitance of the network shown in Fig. 6.58.

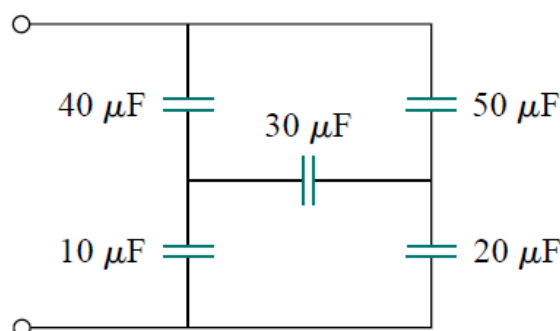


Figure 6.58 For Prob. 6.25.

- 6.22 (a) Show that the voltage-division rule for two capacitors in series as in Fig. 6.57(a) is

$$v_1 = \frac{C_2}{C_1 + C_2} v_s, \quad v_2 = \frac{C_1}{C_1 + C_2} v_s$$

assuming that the initial conditions are zero.

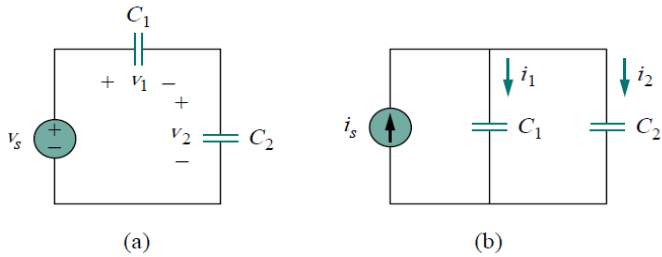


Figure 6.57 For Prob. 6.22.

- (b) For two capacitors in parallel as in Fig. 6.57(b), show that the current-division rule is

$$i_1 = \frac{C_1}{C_1 + C_2} i_s, \quad i_2 = \frac{C_2}{C_1 + C_2} i_s$$

assuming that the initial conditions are zero.

- 6.50 Determine  $L_{eq}$  that may be used to represent the inductive network of Fig. 6.75 at the terminals.

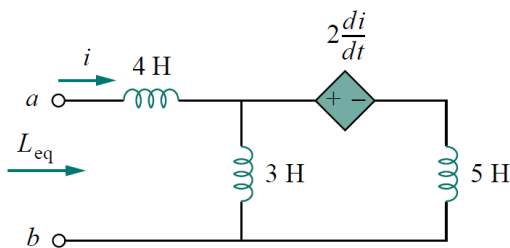


Figure 6.75 For Prob. 6.50.

- 6.55 Find  $i$  and  $v$  in the circuit of Fig. 6.80 assuming that  $i(0) = 0 = v(0)$ .

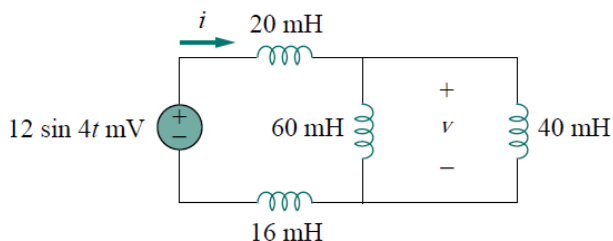


Figure 6.80 For Prob. 6.55.

- 6.52 (a) For two inductors in series as in Fig. 6.77(a), show that the current-division principle is

$$v_1 = \frac{L_1}{L_1 + L_2} v_s, \quad v_2 = \frac{L_2}{L_1 + L_2} v_s$$

assuming that the initial conditions are zero.

- (b) For two inductors in parallel as in Fig. 6.77(b), show that the current-division principle is

$$i_1 = \frac{L_2}{L_1 + L_2} i_s, \quad i_2 = \frac{L_1}{L_1 + L_2} i_s$$

assuming that the initial conditions are zero.

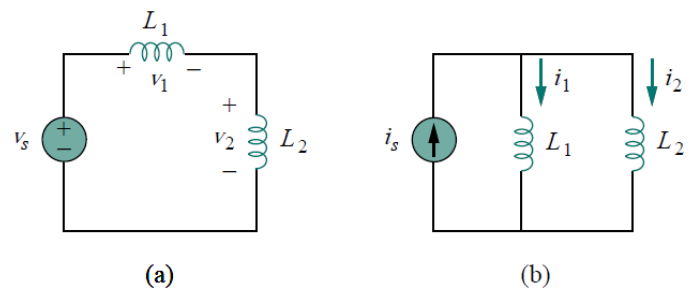


Figure 6.77 For Prob. 6.52.

- 6.47 Find the equivalent inductance looking into the terminals of the circuit in Fig. 6.72.

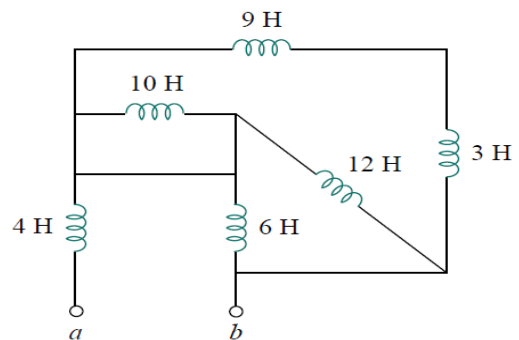


Figure 6.72 For Prob. 6.47.