

# Code Optimization

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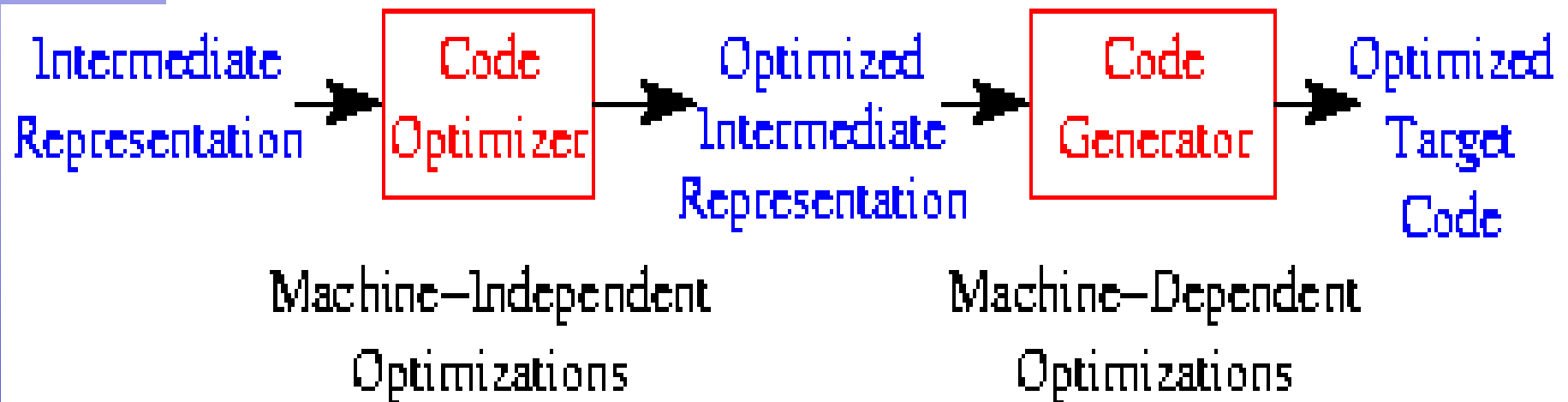
Code produced by compilation algorithms can often be improved (ideally optimized) in terms of run-time speed and the amount of memory they consume

Compilers that apply code-improving transformations are called Optimizing Compilers

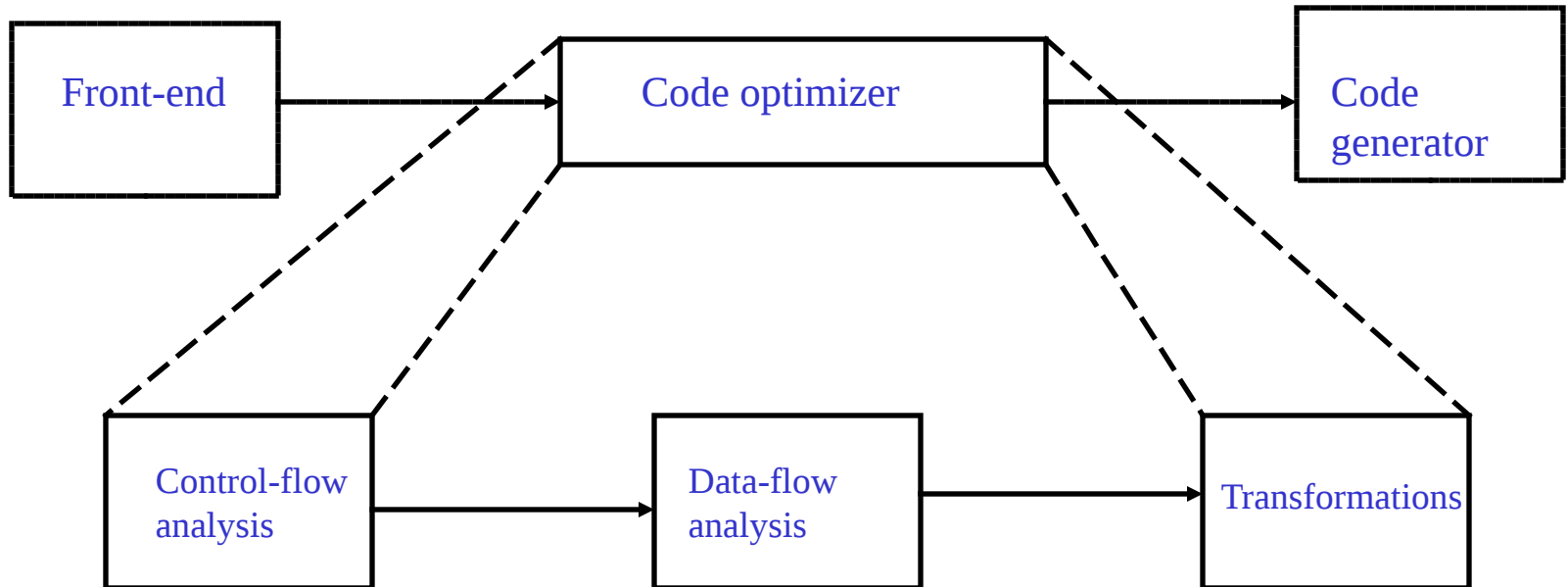
Machine Independent improvements address the logic of the program

Machine Dependent improvements utilize special features of the target instruction set, including registers and special addressing modes

# Optimization Components



# Organization of a code optimizer



# Flow Analysis

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**Loops represent the most computationally intensive part of a program. Improvements to loops will produce the most significant effect**

**Local Optimizations are performed on basic blocks of code**

**Global Optimizations are performed on the whole code**

**A Basic Block is a sequence of instructions that is only entered at the start and exited at the end, with no jumps into or out of the middle.**

**That is, a basic block begins at a procedure or the target of a jump**

**A basic block ends at the start of the next basic block or the end of the program**

# Criteria for code-improvement Transformations

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1. Transformations must preserve the meaning of programs
2. A transformation must, on the average, speed up programs by a measurable amount
3. A transformation must be worth the effort

# Function Preserving Transformations

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1. Common subexpression eliminations
2. Copy propagations
3. Dead and unreachable code elimination
4. Constant Folding

# Example: C code

```
void quicksort(m, n)
int m, n;
{
    int I, j;
    if (n <= m ) return;
    /* fragment begins here */
    i = m-1; j = n; v = a[n];
    while(1)    {
        do i = i+1; while( a[i] < v );
        do j = j-1; while( a[j] > v );
        if( i >= j ) break;
        x = a[i]; a[i] = a[j];    a[j] = x;
    }
    x = a[i]; a[i] = a[n]; a[n]= x;
    /* fragment ends here */
    quicksort(m, j); quicksort(i+1, n);
}
```

# Augmented 3AC

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An augmented 3 address code language to simplify the code...

Let  $a$  be an array of integers starting at byte address  $a_0$

$a[add]$  on the left-hand-side of an assignment is the address  $a_0 + add$

$a[add]$  on the right-hand-side of an assignment is the value of the element of the array at address  $a_0 + add$

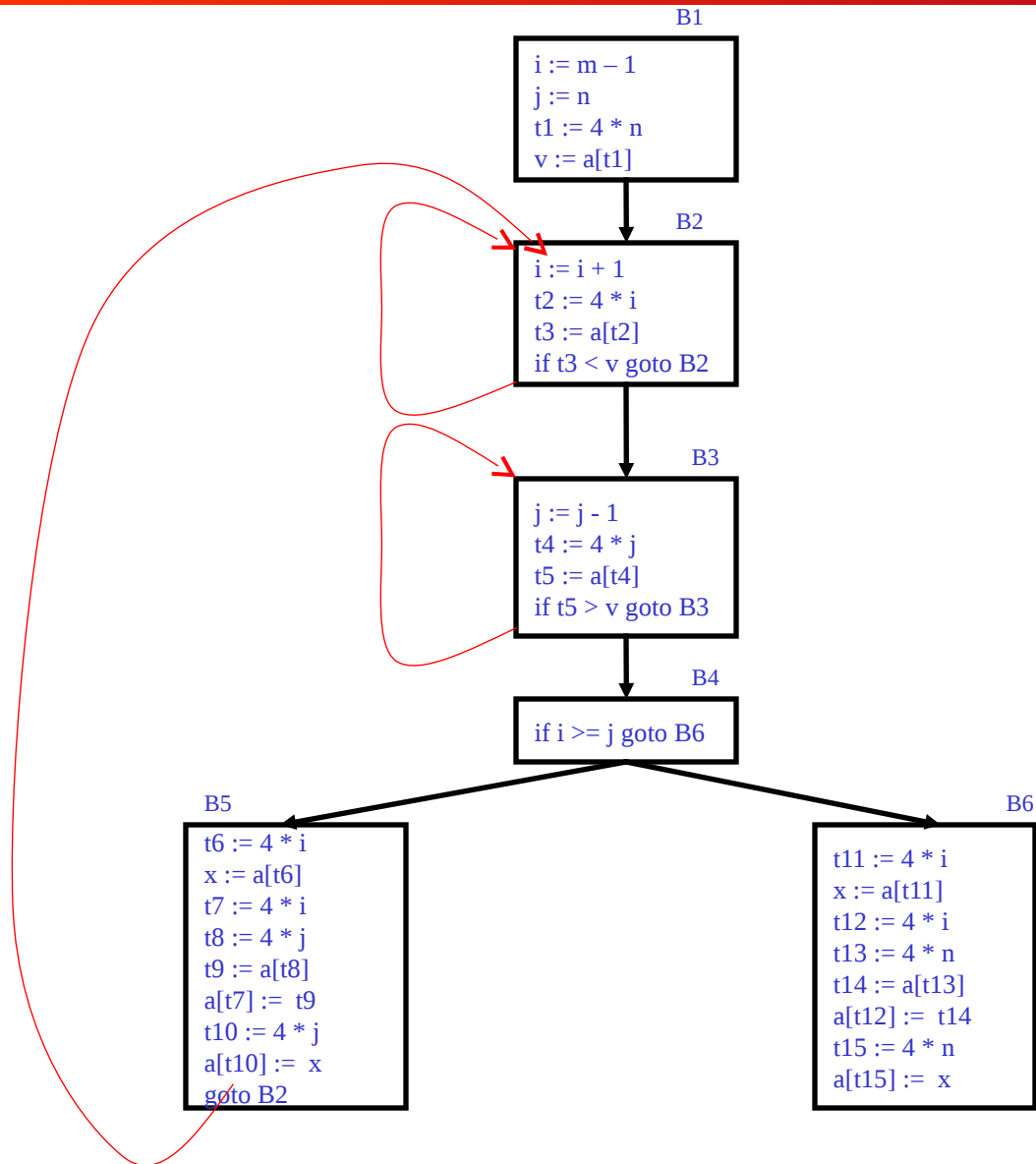
Since integers are stored in 4 bytes the offset address of an element  $a[i]$  is  $4 * i$



# Example: 3AC

```
01) i := m - 1
02) j := n
03) t1 := 4 * n
04) v := a[t1]
05) i := i + 1
06) t2 := 4 * i
07) t3 := a[t2]
08) if t3 < v goto 5
09) j := j - 1
10) t4 := 4 * j
11) t5 := a[t4]
12) if t5 > v goto 9
13) if i >= j goto 23
14) t6 := 4 * i
15) x := a[t6]
16) t7 := 4 * i
17) t8 := 4 * j
18) t9 := a[t8]
19) a[t7] := t9
20) t10 := 4 * j
21) a[t10] := x
22) goto 5
23) t11 := 4 * i
24) x := a[t11]
25) t12 := 4 * i
26) t13 := 4 * n
27) t14 := a[t13]
28) a[t12] := t14
29) t15 := 4 * n
30) a[t15] := x
```

# Basic Blocks



# Local Optimizations

## Block5 before

```
t6 := 4 * i  
x := a[t6]  
t7 := 4 * i  
t8 := 4 * j  
t9 := a[t8]  
a[t7] := t9  
t10 := 4 * j  
a[t10] := x  
goto Block2
```

## Block5 after

```
t6 := 4 * i  
x := a[t6]  
t8 := 4 * j  
t9 := a[t8]  
a[t6] := t9  
a[t8] := x  
goto Block2
```

redundant calculations removed

# Local Optimizations

Block6 before

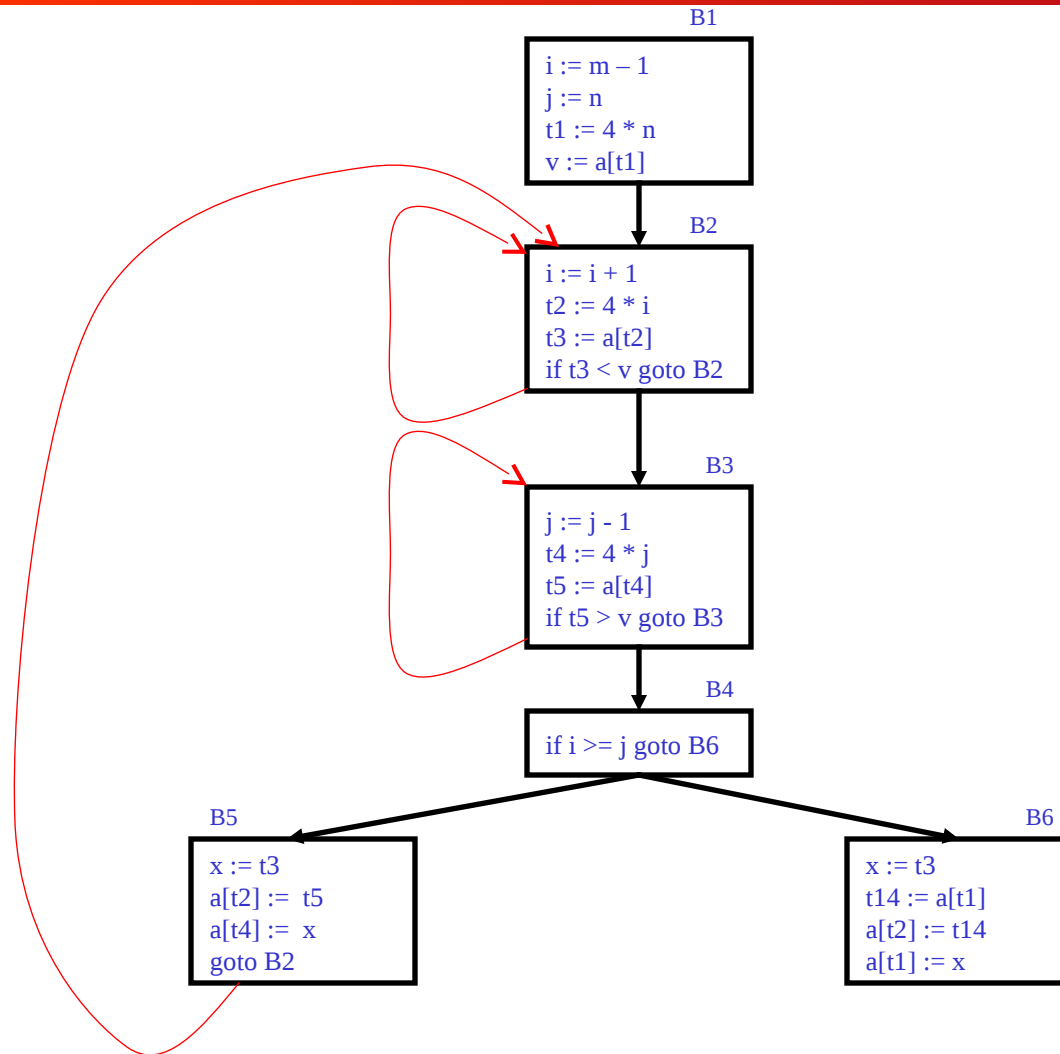
```
t11 := 4 * i
x := a[t11]
t12 := 4 * i
t13 := 4 * n
t14 := a[t13]
a[t12] := t14
t15 := 4 * n
a[t15] := x
```

Block6 after

```
t11 := 4 * i
x := a[t11]
t13 := 4 * n
t14 := a[t13]
a[t11] := t14
a[t13] := x
```

redundant calculations removed

# Global Optimizations



After removing redundant calculations over all blocks

# Loop Optimization

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1. Code Motion
2. Reduction in Strength
3. Induction Variables elimination

# Code Motion

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Code Motion decreases the amount of code in a loop

## Before

```
while ( i <= limit + 2) /*statement does not change limit */
```

## After

```
t = limit + 2
```

```
while ( i <= t) /*statement does not change limit or t*/
```

# Reduction in Strength

In **Block2** whenever  $i$  increases by 1,  $t2$  increases by 4

In **Block3** whenever  $j$  decreases by 1,  $t4$  decreases by 4

Addition and Subtraction can be used instead of the more computationally expensive multiplication ( $t2$  and  $t4$  must be initialized).

## Before

```
i := m - 1
j := n
t1 := 4 * n
v := a[t1]
```

## Block2:

```
i := i + 1
t2 := 4 * i
t3 := a[t2]
if t3 < v goto B2
```

## Block3:

```
j := j - 1
t4 := 4 * j
t5 := a[t4]
```

## After

```
i := m - 1
j := n
t1 := 4 * n
v := a[t1]
t2 := 4 * i
t4 := 4 * j
```

## Block2:

```
i := i + 1
t2 := t2 + 4
t3 := a[t2]
if t3 < v goto B2
```

## Block3:

```
j := j - 1
t4 := t4 - 4
t5 := a[t4]
```



# Induction Variables elimination

In **Block2** whenever  $i$  increases by 1,  $t2$  increases by 4,  
 $i$  and  $t2$  are called induction variables.

In **Block3** whenever  $j$  decreases by 1,  $t4$  decreases by 4,  
 $j$  and  $t4$  are induction variables, too.

If there are two or more induction variables in a loop, it may be possible to get rid of all but one

**Before**

**Block4:**

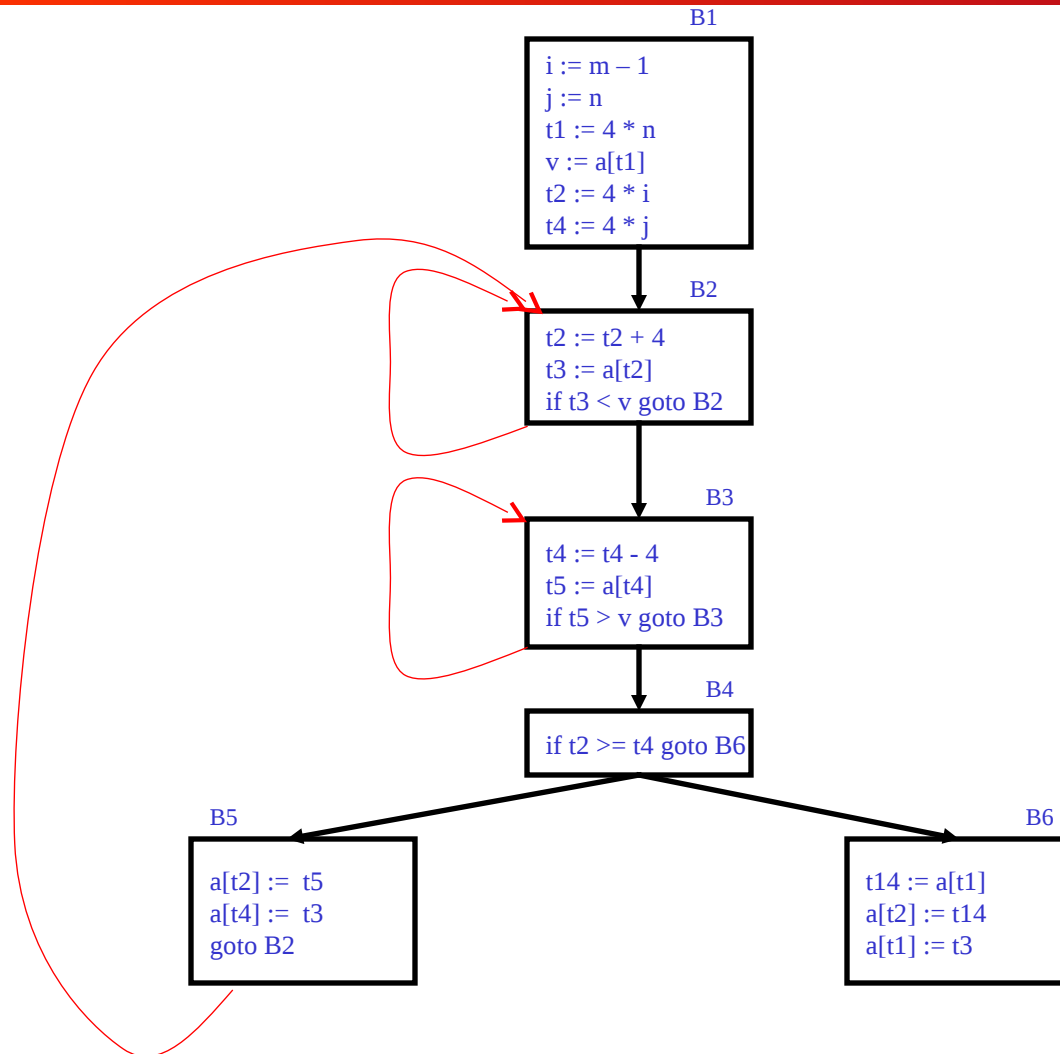
if  $i \geq j$  goto B6

**After**

**Block4:**

if  $t2 \geq t4$  goto B6

# Loop Optimization



After reduction in strength and induction-variable elimination

# Peephole Optimization

## Removing Redundant Load and Stores

### 3AC

```
a := b + c;  
d := a - e;
```

### Machine Code

```
mov registera b  
add registera c  
mov a registera  
mov registera a  
sub registera e  
mov d registera
```

-- redundant if  
-- *a* is no longer used

## Algebraic Simplification

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$x := x + 0$

$x := x * 1$

Use of Registers to store the most used variables because access time is much quicker than memory

Use of specialized instructions

mov a

add registera 1

mov a registera

could be just                      inc a

Using shift to left instead of multiplication by powers of 2

Using shift to right instead of division into powers of 2